

## Self-Assessment for Grade 10 Applied Math (MFM2P)

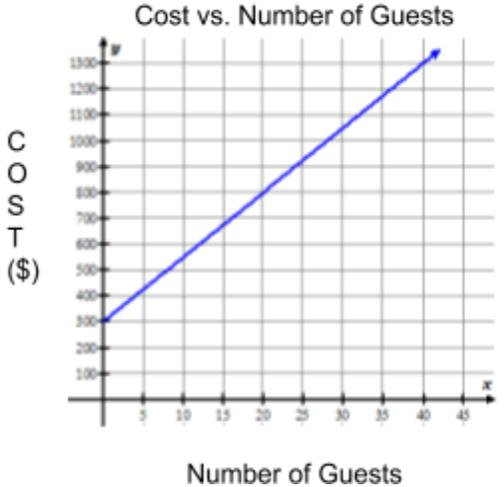
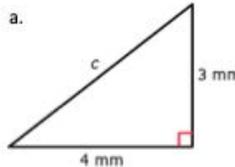
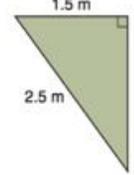
Students who are registered for Grade 10 Applied Math (MFM2P) may benefit from a self evaluation and review of the following expectations from Grade 9 Applied Math (MFM1P).

The questions in this self-assessment reflect some of the key ideas learned in prerequisite courses. They do not represent the problem solving approach or the rich experience that students would be exposed to in a classroom. The intention is for students to revisit some key concepts and, if needed, access review materials in an informal environment at a pace that is comfortable for the student.

Concept(s)	Sample Question	How comfortable do you feel with this concept?	Link(s) to explore concept further
I can add and subtract polynomials	1. Simplify: a. $(1 - 7h) + (-7h - 1)$ b. c. $4xy - y^2 - 3x^2 + 2xy - x - 3y^2$	 <input type="checkbox"/> Very comfortable  <input type="checkbox"/> Somewhat comfortable  <input type="checkbox"/> Not at all comfortable	<a href="#">Adding and Subtracting Polynomials</a>
I can multiply a single term by a polynomial	2. Expand and simplify: $2x(x^2 + 10x - 5) - 3(4x + 3)$	 <input type="checkbox"/> Very comfortable  <input type="checkbox"/> Somewhat comfortable  <input type="checkbox"/> Not at all comfortable	<a href="#">Multiplying a Polynomial by a Monomial</a>

<p><b>I can solve equations using a variety of strategies</b></p>	<p>3. Solve for the unknown:</p> <p><math>\frac{x}{-6} = 3</math></p> <p>a. <math>\frac{x}{45} = \frac{11}{20}</math></p> <p>b. <math>2y + 7 = 21</math></p> <p>c. <math>12 - 2x = -7x - 1</math></p>	<p> <input type="checkbox"/> <b>Very comfortable</b></p> <p> <input type="checkbox"/> <b>Somewhat comfortable</b></p> <p> <input type="checkbox"/> <b>Not at all comfortable</b></p>	<p><a href="#">Solving One- and Two-Step Equations</a></p> <p><a href="#">Solving Multi-Step Linear Equations</a></p>										
<p><b>I can construct a table of values for a linear relationship</b></p>	<p>4. A student is paid 23¢ for each newspaper she delivers. Complete the table to show their earnings from delivering 25 to 100 newspapers.</p> <table border="1" data-bbox="504 671 864 1038"> <thead> <tr> <th>Number of Newspapers</th> <th>Earnings (\$)</th> </tr> </thead> <tbody> <tr> <td>25</td> <td></td> </tr> <tr> <td>50</td> <td></td> </tr> <tr> <td>75</td> <td></td> </tr> <tr> <td>100</td> <td></td> </tr> </tbody> </table>	Number of Newspapers	Earnings (\$)	25		50		75		100		<p> <input type="checkbox"/> <b>Very comfortable</b></p> <p> <input type="checkbox"/> <b>Somewhat comfortable</b></p> <p> <input type="checkbox"/> <b>Not at all comfortable</b></p>	<p><a href="#">Intro to Linear Relations Application Problem</a></p>
Number of Newspapers	Earnings (\$)												
25													
50													
75													
100													

<p><b>I can construct a graph for a linear relationship</b></p> <p><b>I can determine how a graph, equation and table of values would change if the rate of change and/or initial value changes</b></p>	<p>5. The following is a table that represents the relationship between cost and number of toppings on a pizza.</p> <table border="1" data-bbox="495 193 837 596"> <thead> <tr> <th>Number of toppings</th> <th>Cost (\$)</th> </tr> </thead> <tbody> <tr> <td>0</td> <td>13.00</td> </tr> <tr> <td>1</td> <td>14.50</td> </tr> <tr> <td>2</td> <td>16.00</td> </tr> <tr> <td>3</td> <td>17.50</td> </tr> </tbody> </table> <p>a. Describe, in words, how this pizza store determines the price of a pizza.  b. Graph the relation.  c. How would the table change if the cost per topping was \$2?  d. How would the graph change if the cost of a basic pizza with no toppings was \$12?</p>	Number of toppings	Cost (\$)	0	13.00	1	14.50	2	16.00	3	17.50	<p> <input type="checkbox"/> Very comfortable</p> <p> <input type="checkbox"/> Somewhat comfortable</p> <p> <input type="checkbox"/> Not at all comfortable</p>	<p><a href="#">Intro to Linear Relations Part 2</a></p>
Number of toppings	Cost (\$)												
0	13.00												
1	14.50												
2	16.00												
3	17.50												
<p><b>I can identify the initial value (constant) for a direct and partial relationship from a graph, table of values, equation and scenario</b></p> <p><b>I can identify the rate of change for a situation</b></p> <p><b>I can create a linear equation (partial and direct) from a graph by finding the</b></p>	<p>6. The graph below shows the cost of renting a banquet hall for a wedding, based on the number of guests.</p> <p>a. Describe the graph.  b. Identify the initial value.  c. Identify the rate of change.  d. Write an <b>equation</b> for the linear relation, using the variable <math>C</math> to represent the cost and <math>g</math> to represent the number of guests.</p>	<p> <input type="checkbox"/> Very comfortable</p> <p> <input type="checkbox"/> Somewhat comfortable</p> <p> <input type="checkbox"/> Not at all comfortable</p>	<p><a href="#">Intro to Linear Relations Part 2</a></p> <p><a href="#">Expression Versus Equation</a></p>										

<p>initial value and the rate of change</p>	<p>Cost vs. Number of Guests</p> 		
<p>I can create a linear equation (partial and direct) from a scenario by finding the initial value and the rate of change</p>	<p>7. The charge for renting a tour bus is \$100 for the bus plus \$12 for each passenger. Write an equation to determine the cost, <math>C</math> dollars, to rent the bus, for a trip for <math>p</math> passengers.</p>	<p>  <input type="checkbox"/> Very comfortable   <input type="checkbox"/> Somewhat comfortable   <input type="checkbox"/> Not at all comfortable </p>	<p><a href="#">Expression Versus Equation</a></p>
<p>I can solve problems using the Pythagorean theorem as needed in problems</p>	<p>8. Find the missing side length:</p> <p>a. </p> <p>b. </p>	<p>  <input type="checkbox"/> Very comfortable   <input type="checkbox"/> Somewhat comfortable   <input type="checkbox"/> Not at all comfortable </p>	<p><a href="#">The Pythagorean Theorem</a></p>

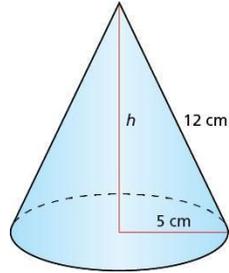
I can solve problems involving the volumes of prisms, pyramids, cylinders, cones and spheres

9. A can of soda has a diameter of 6 cm and a height of 13 cm. How much soda does it hold?

10. The diagram shows a closed cone.

a. Calculate the height.

b. Find the volume.



**Very comfortable**



**Somewhat comfortable**



**Not at all comfortable**

[Volume of a Cylinder](#)

[Volumes of Pyramids and Cones](#)

## Solutions to Sample Questions:

1. Simplify:

a.  $(1 - 7h) + (-7h - 1) = -14h$

b.  $(5g + 3) + (2g + 4) = 7g + 7$

c.  $4xy - y^2 - 3x^2 + 2xy - x - 3y^2 = -3x^2 + 6xy - 4y^2 - x$

2. Expand and simplify:

$$2x(x^2 + 10x - 5) - 3(4x + 3) = 2x^3 + 20x^2 - 22x - 9$$

3. Solve for the unknown:

a.  $\frac{x}{-6} = 3$        $x = -18$

b.  $\frac{x}{45} = \frac{11}{20}$        $x = \frac{495}{20}$  or  $\frac{99}{4}$  or 24.75

c.  $2y + 7 = 21$        $y = 7$

d.  $12 - 2x = -7x - 1$        $x = -\frac{13}{5}$  or  $x = -2.6$

4. A student is paid 23¢ for each newspaper they deliver. Complete the table to show their earnings from delivering 25 to 100 newspapers.

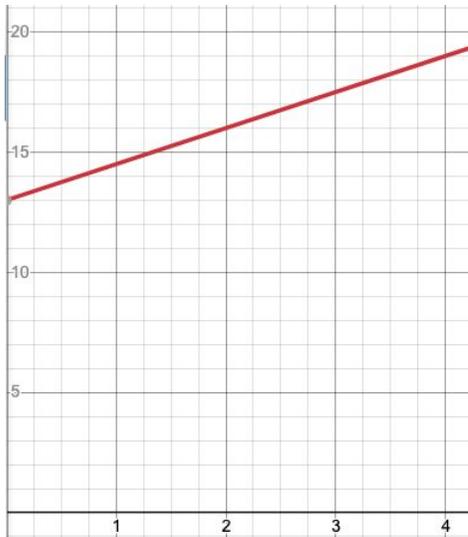
Number of Newspapers	Earnings (\$)
25	<b>5.75</b>
50	<b>11.50</b>
75	<b>17.25</b>
100	<b>23.00</b>

5. The following is a table that represents the relationship between cost and number of toppings on a pizza.

Number of toppings	Cost (\$)
0	13.00
1	14.50
2	16.00
3	17.50

a. Describe, in words, how this pizza store determines the price of a pizza. **The store charges \$13.00 for a basic pizza with no toppings, and then charges \$1.50 for each topping.**

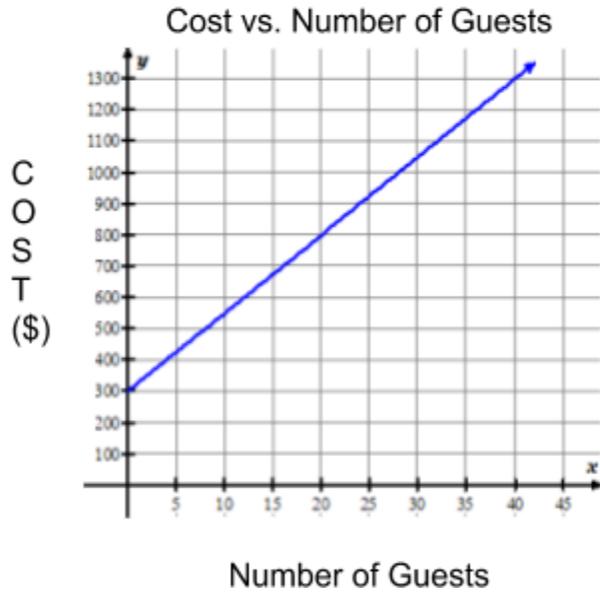
b. Graph the relation.



c. How would the table change if the cost per topping was \$2? **The cost per topping is currently \$1.50. If the cost was increased to \$2 per topping, the line would still start at (0,13) but would be steeper than in (b).**

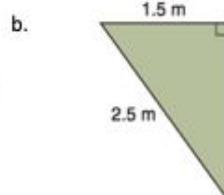
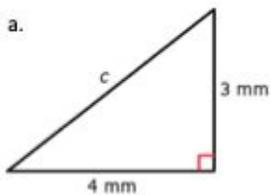
d. How would the graph change if the cost of a basic pizza with no toppings was \$12? **The cost of a basic pizza is currently \$13. If the basic pizza was to cost \$12, then the line would start lower, at (0,12), and have the same steepness as in (b).**

6. The graph below shows the cost of renting a banquet hall for a wedding, based on the number of guests.
- Describe the graph. **The graph is a straight line. It starts at 300 on the vertical axis, and then rises to the right.**
  - Identify the initial value. **Initial value: \$300. This is the cost to rent the hall even with no guests.**
  - Identify the rate of change. **Rate of change: \$40/person. (Use clear grid points such as (0,0) and (20,800), and calculate rise over run.)**
  - Write an **equation** for the linear relation, using the variable  $C$  to represent the cost and  $g$  to represent the number of guests.  
 **$C = 300 + 40g$ .**



7. The charge for renting a tour bus is \$100 for the bus plus \$12 for each passenger. Write an equation to determine the cost,  $C$  dollars, to rent the bus, for a trip for  $p$  passengers.  $C = 100 + 20p$  or  $C = 20p + 100$

8. Find the missing side length:



Use the Pythagorean Theorem.

- a. 5 mm (find the length of the hypotenuse - the longest side)
- b. 2.9 m (find the length of a leg - one of the shorter sides)

9. A can of soda has a diameter of 6 cm and a height of 13 cm. How much soda does it hold?

**The can holds 368mL of soda.**

$$V = (\text{Area of base}) \times (\text{Height}) \quad \text{Area of base} = \pi r^2$$

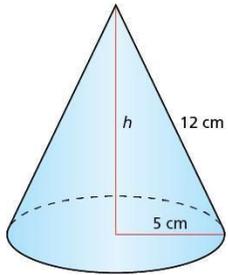
**Since the diameter is 6cm, the radius is 3cm.**

**The area of the base (a circle) is 28.3cm<sup>2</sup>.**

**The volume of the can is 367.6cm<sup>3</sup>. One cm<sup>3</sup> holds 1 mL of liquid.**

10. The diagram shows a closed cone.

- a. Calculate the height.
- b. Find the volume.



- a. **The height is 10.9 cm (use the Pythagorean Theorem)**
- b. **The volume is 285.4cm<sup>3</sup>.**

$$V = \frac{1}{3} \pi r^2 h \quad (\text{Volume of cone formula, } r \text{ is radius, } h \text{ is height})$$